

# Combination Decision Support System and Cryptography: Determination of Scholarship Worthiness Using Simple Multi Attribute Rating Technique and Merkle Hellman Method

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## ABSTRACT

The determination of PPA and BBP-PPA scholarship recipients on STMIK Triguna Dharma becomes a problem because it takes a long time in determining the decision. By adopting the SMART method, the application can make decisions quickly and precisely. Merkle Hellman method is also one of the methods that can be applied in securing the data of PPA and BBP-PPA scholarship recipients by using 2 keys, namely private key and public key, and the result of encryption is a series of numbers (numbers). The expected result of this research is the application can facilitate in overcoming the problems that occur concerning the determination of PPA and BBP-PPA scholarship recipients as well as assisting Student Affairs STMIK Triguna Dharma in making decisions quickly and accurately

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## I. INTRODUCTION

Decision Support System is an auxiliary tool for making decisions appropriately, and quickly. In Decision Support System can be applied several methods such as SMART Method (Simple Multi Attribute Rating Technique). The SMART method is a multi-criteria decision-making technique based on the theory. It has a weight that describes how important it is related to other criteria[1] [2]. This weighting is used to assess each alternative to obtain the best choice. In the problem discussed in this research, we will

design a software using Desktop Programming which is expected to be a problem-solving solution and adopt Merkle Hellman Method as its data security. [2] [3] [4]

STMIK Triguna Dharma is one of the universities that receive the scholarship. The types of awards that are always accepted are classified as PPA Scholarships (Academic Achievement Improvement) and BBP-PPA (Educational Cost Assistance-Academic Achievement Achievement). Scholarship recipients must be following the criteria determined and selected in the selection process.

During this selection process determination of scholarship recipients is still done conventionally, so that takes a long time. The problem of this selection process can be overcome by several ways one of them by using Decision Support System.

Desktop Programming is the software used to design a desktop-based system. The system will be designed to adopt the SMART Method and Merkle Hellman Method. In the concept of design is done by analysing the problems and needs in the issues discussed than done a rating of the causes of the reasons of the problem and in the final phase will be done a system design so that it can solve the problem as expected.

## II. THEORY

### a. Scholarship

The scholarship is a grant fee given to a person who is expected to help him finish his education to completion. For university students, Scholarship is divided into two, namely Academic Achievement Improvement Scholarship (PPA) and Tuition Fee Scholarship for Academic Achievement Improvement (BBP-PPA).

Awards for Academic Achievement Improvement and Educational Cost Assistance Improvement of Academic Achievement for Private Higher Education students is an effort of the government to provide encouragement and assistance to the students to follow their study smoothly and is expected to keep improving their academic achievement and to finish their education on time.

To provide Scholarship for Academic Achievement Improvement and Educational Cost Assistance, Academic Achievement Improvement can be made well following 3T principles, that is Right at Target, Exactly Amount, and Punctual. It takes technical means in assessing and selecting students who are entitled to get it. (BBP-PPA Scholarship Technical Guidelines: 2016)

### b. Simple Multi Attribute Rating Technique

The techniques and steps in the SMART process, among others:

- Phase 1: Specify the number of criteria.
- Phase 2: Determine the criteria weights with the range of values 1-100 based on the importance of the criteria.
- Phase 3: Normalize the weighted value of the criteria by the formula  $(w_j / \sum w_j)$ ,

- Phase 4: Provide a criteria value for each alternative.
- Phase 5: Calculate the utility value for each criterion by using the following formula:

$$u_i(a_i) = \frac{c_{out\ i} - c_{min}}{c_{max} - c_{min}} \dots \dots \dots (1)$$

### c. Merkle Hellman

Cryptography is divided into two main processes namely the process of encryption and decryption; each process has a different algorithm[5]. Merkle Hellman method has several different calculations on the process of encryption and decryption[6]. At the time of the encryption process, the Merkle Hellman method uses the following model:

#### a. Encryption Process

$$c = \sum_{i=1}^n \alpha_i \beta_i \dots \dots \dots (2)$$

Phase 1: Create a Private Key (S, A and P)

The S, A, and P values are the variables for the private key. The integer numbers are arranged with linear superincreasing algorithms. S consists of several numbers depending on the number of biner digits used. A is a free value (figure) that must be greater than the total value of S with a maximum value of 999. While P is a free (number) value that can be taken starting from 1 to A.

$$A > \sum_{i=1}^n w_i \dots \dots \dots (3)$$

Phase 2: Create a Public Key

The public key is used to calculate the result of Cipher data. The public key has the same character as the private key S. If S denotes the private key, then the public key can be denoted by T. The public key has a row of numbers as the key to finding the Cipher[7] [8].

Phase 3: Changing Plaintext to Binner 8 Digit

Process of the data needs to be converted into biner form because Merkle Hellman calculation uses binary technique as encryption and decryption process. To convert data to binary 8 digits, then previous data is changed to ASCII code. The next step is to convert the ASCII code into an 8-digit binary code like below[6]:

Phase 4: Summing (Multiplication Binner with Public Key)

For the process of calculating the data of the Cipher text, must first do the plaintext division

into blocks based on the number of elements T. Known the number of elements of T as many as 8 elements. Furthermore, each block will be associated with each element of T.

#### b. Decryption Process

During the decryption process, Merkle Hellman method uses the following model.

$$c' = \sum_{i=1}^n \alpha_i w_i \dots \dots \dots (4)$$

The steps in the decryption process using the Merkle Hellman method is as follows:

##### Phase 1: Ciphertext Data (O)

In doing the decryption process, there must first be a complete data from the encryption process. It is necessary also a private key as a key to the process of data decryption.

##### Phase 2: Modular Invers

The process for finding the inverse modulo value of (p-1) using the extended euclidian method, ie (P \* M mod A = 1). In this decryption process will be used p-1 value of 77. Value 77 obtained from the calculation using the method of extended euclidian.

##### Phase 3: Cipher Data Mod A

The next process is the modif process, which is for the data Ciphertext with the inverse value obtained previously

##### Phase 4: Reduce Data with Value S

The data reduction process (K) with the values of the S. The elements of decline continue from the largest to the smallest detail. The final result of the deduction must be a value of 0. The final result where the reduction is nonzero, the decryption process is declared to fail. The cause of failure can occur if the S key is not made by the linear superincreasing method.

##### Phase 5: Return to Original Data

Reverting to original data is the last step to convert to decryption process. The binary code is compiled and converted to decimal code then to char code

### III. ANALYSIS AND DESIGN

#### 3.1 Concept of Simple Multi Attribute Rating Technique

After conducting interviews with parties involved in the process of determining the PPA

and BBP-PPA scholarship recipients on STMIK Triguna Dharma, there are some important things that can be taken as material criteria for the development of Decision Support System, i.e., data in the form of measures needed during the process of awarding the scholarship recipient. The criteria for the PPA and BBP-PPA scholarship are different, and the difference lies in the weight and number of measures required.

In the PPA award, the necessary criteria are GPA, Certificate - SK and Achievement. While on BBP-PPA scholarship, the required standards are Parent Income, Certificate - SK and Achievement. The weight of each criterion is determined by the Head of Student Affairs of STMIK Triguna Dharma, where the weight is determined based on the importance level as the reference of the students' worthiness assessment. Range assessment criteria between 0 - 100. Students will be sorted based on the highest to lowest score and will be passed from the highest to the lowest to meet the number of quotas that has been determined by Kopertis Region 1

Table 1. Quota of Scholarship

No	Scholarship	Quota
1	PPA	7
2	BBP – PPA	5

The data of the enrolled students are separated by their respective groups, namely the PPA scholarship group and the BBP-PPA scholarship group. Student data can be seen in the table below. Utility values are obtained by using a predetermined formula. The minimum value of criteria for each alternative is 0 (zero) and a maximum of 4 (four). Here is the process of calculating utility values:

##### a. Encryption Process

Phase 1: Calculation of Utility Candidate Value of PPA Candidate

$$- U(2013020231_{P1}) = \frac{3.82 - 0}{4 - 0} = 0.955$$

$$- U(2013020419_{P1}) = \frac{3.79 - 0}{4 - 0} = 0.948$$

$$- U(2013020704_{P1}) = \frac{3.73 - 0}{4 - 0} = 0.933$$

$$- U(2015020878_{P1}) = \frac{3.91 - 0}{4 - 0} = 0.978$$

$$- U(2013030038_{P1}) = \frac{3.75 - 0}{4 - 0} = 0.938$$

$$- U(2014021130_{P1}) = \frac{3.74 - 0}{4 - 0} = 0.935$$

$$- U(2013020445_{P1}) = \frac{3.77 - 0}{4 - 0} = 0.943$$

$$\begin{aligned}
- & U(2013020900_{P1}) = \frac{3.73 - 0}{4 - 0} = 0.933 \\
- & U(2013020053_{P1}) = \frac{3.73 - 0}{4 - 0} = 0.933 \\
- & U(2015020667_{P1}) = \frac{3.91 - 0}{4 - 0} = 0.978 \\
- & U(2013020231_{P2}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2013020419_{P2}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2013020704_{P2}) = \frac{3 - 0}{4 - 0} = 0.750 \\
- & U(2015020878_{P2}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013030038_{P2}) = \frac{3 - 0}{4 - 0} = 0.750 \\
- & U(2014021130_{P2}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020445_{P2}) = \frac{3 - 0}{4 - 0} = 0.750 \\
- & U(2013020900_{P2}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2013020053_{P2}) = \frac{3 - 0}{4 - 0} = 0.750 \\
- & U(2015020667_{P2}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020231_{P3}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020419_{P3}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020704_{P3}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2015020878_{P3}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013030038_{P3}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2014021130_{P3}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020445_{P3}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020900_{P3}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020053_{P3}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2015020667_{P3}) = \frac{1 - 0}{4 - 0} = 0.250
\end{aligned}$$

Phase 2: Calculation of Utility Candidate Value of BBP-PPA Receiver

$$\begin{aligned}
- & U(2013020358_{B1}) = \frac{4 - 0}{4 - 0} = 1.000 \\
- & U(2013020549_{B1}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020123_{B1}) = \frac{4 - 0}{4 - 0} = 1.000 \\
- & U(2015020442_{B1}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020103_{B1}) = \frac{4 - 0}{4 - 0} = 1.000 \\
- & U(2014020481_{B1}) = \frac{4 - 0}{4 - 0} = 1.000 \\
- & U(2013020605_{B1}) = \frac{3 - 0}{4 - 0} = 0.750 \\
- & U(2013020096_{B1}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2014020580_{B1}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2013020038_{B1}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2013020358_{B2}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2013020549_{B2}) = \frac{4 - 0}{4 - 0} = 1.000 \\
- & U(2013020123_{B2}) = \frac{0 - 0}{4 - 0} = 0.000 \\
- & U(2015020442_{B2}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2013020103_{B2}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2014020481_{B2}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2013020605_{B2}) = \frac{3 - 0}{4 - 0} = 0.750 \\
- & U(2013020096_{B2}) = \frac{1 - 0}{4 - 0} = 0.250 \\
- & U(2014020580_{B2}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2013020038_{B2}) = \frac{2 - 0}{4 - 0} = 0.500 \\
- & U(2013020358_{B3}) = \frac{0 - 0}{4 - 0} = 0.000 \\
- & U(2013020549_{B3}) = \frac{0 - 0}{4 - 0} = 0.000 \\
- & U(2013020123_{B3}) = \frac{0 - 0}{4 - 0} = 0.000
\end{aligned}$$

- $U(2015020442_{B3}) = \frac{0-0}{4-0} = 0.000$
- $U(2013020103_{B3}) = \frac{0-0}{4-0} = 0.000$
- $U(2014020481_{B3}) = \frac{0-0}{4-0} = 0.000$
- $U(2013020605_{B3}) = \frac{0-0}{4-0} = 0.000$
- $U(2013020096_{B3}) = \frac{0-0}{4-0} = 0.000$
- $U(2014020580_{B3}) = \frac{2-0}{4-0} = 0.500$
- $U(2013020038_{B3}) = \frac{0-0}{4-0} = 0.000$

The final calculation is the calculation of the utility value with the criterion weight. After the calculation results obtained for each criterion, then add the total value of each criterion to get the total. The total value becomes the final value for each alternative, and this value will be sorted by the highest value.

#### Phase 3: Result of Final Counting and Ranking

Students who are graduated are students who have final grade results starting from the highest to the lowest based on the number of quota of scholarship recipients that have been determined. The number of PPA scholarship recipients is 7 (seven) people, and BBP-PPA scholarship recipients are 5 (five) persons.

### 3.2 Concept of Merkle Hellman

Securing scholarship data recipients is considered important so that data is encrypted and can not be manipulated by people who intend badly. The data of the scholarship recipient is only visible to the person who has the authority. In this case, the person is the Head of Student Affairs STMIK Triguna Dharma. Merkle Hellman's security measures are as follows. The steps of the encryption process are as follows:

#### Phase 1: Create a Private Key (S, A, and P)

The S, A, and P values are the variables for the private key. The integer numbers are arranged with linear superincreasing algorithms. S consists of several numbers depending on the number of biner digits used. A is a free value (figure) that must be greater than the total value of S with a maximum value of 999. While P is a free (number) value that can be taken starting from 1 to A.

Table 2: Private Key

S	{2, 4, 7, 14, 28, 112, 224, 407} = $\sum s = 798$
A	989
P	578

#### Phase 2: Create a Public Key

A public key is used to calculate the result of Cipher data. The public key has the same character as the private key S. If the private key is denoted by S, then the public key can be denoted by T. Therefore the public key has a row of numbers as the key to finding the Cipher. Calculation of public key as the table below:

Table 3: Public Key

S	T = (P * Si) mod A	
2	578 * 2 mod 989	167
4	578 * 4 mod 989	334
7	578 * 7 mod 989	90
14	578 * 14 mod 989	180
28	578 * 28 mod 989	360
112	578 * 112 mod 989	451
224	578 * 224 mod 989	902
407	578 * 407 mod 989	853

#### Phase 3: Changing Plaintext to Binner 8 Digit

In this process, the data needs to be converted into biner form because Merkle Hellman calculation uses a binary technique as encryption and decryption process. To convert data to binary 8 digits, then previous data is changed to ASCII code. The next step is to convert the ASCII code into an 8-digit binary code like below:

Table 4: Data Binary

Huruf	ASCII	Binary (Z)
2	050	00110010
0	048	00110000
1	049	00110001
3	051	00110011
0	048	00110000
2	050	00110010
0	048	00110000
2	050	00110010
3	051	00110011
1	049	00110001

#### Phase 4: Summing (Multiplication Binner with Public Key)

For the process of calculating the data of the ciphertext, must first do the plaintext division into blocks based on the number of elements T. Known the number of elements of T as many as 8 elements. Next, each block will be associated with each element T, so the ciphertext obtained as follows:

Table 5: Result

Binary	$\Sigma x * T$	Ciphertext
00110010	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(1*902)+(0*853)$	1172
00110000	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(0*902)+(0*853)$	270
00110001	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(0*902)+(1*853)$	1123
00110011	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(1*902)+(1*853)$	2025
00110000	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(0*902)+(0*853)$	270
00110010	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(1*902)+(0*853)$	1172
00110000	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(0*902)+(0*853)$	270
00110010	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(1*902)+(0*853)$	1172
00110011	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(1*902)+(1*853)$	2025
00110001	$(0*167)+(0*334)+(1*90)+(1*180)+(0*360)+(0*451)+(0*902)+(1*853)$	1123

The above process shows that the data encryption process is done. The last thing to do is to present the Ciphertext data by saving it back into text form. So the result of Encryption process of message 2013020231 is C {1172, 270, 1123, 2025, 270, 1172, 270, 1172, 2025, 1123}.

## b. Decryption Proses

Steps in the decryption process using Merkle Hellman method are as follows:

Phase 1: Ciphertext Data (O)

In doing the decryption process, there must first be a complete data from the encryption process. In addition it is necessary also a private key as a key to the process of data decryption. The Ciphertext code is as follows: C {1172, 270, 1123, 2025, 270, 1172, 270, 1172, 2025, 1123}.

Phase 2. Modular Invers

The process for finding the inverse modulo value of (p-1) using the extended euclidian method, ie  $(P * M \text{ mod } A = 1)$ . In this decryption process will be used p-1 value of 77. Value 77 obtained from the calculation using the method of extended euclidian, as the table below:

Table 6: Modular Invers

M	$(P * M) \text{ mod } A$	
1	$578 * 1 \text{ mod } 989$	578
2	$578 * 2 \text{ mod } 989$	167
3	$578 * 3 \text{ mod } 989$	745
...	...	...
77	$578 * 77 \text{ mod } 989$	1

Phase 3. Cipher Data Mod A

The next process is the modif process, which is for the data Ciphertext with the inverse value obtained previously

Table 7. Cipher Data Mod A

O	M	$(O * M) \text{ Mod } A$	
1172	77	$1172 * 77 \text{ mod } 989$	245
270	77	$270 * 77 \text{ mod } 989$	21
1123	77	$1123 * 77 \text{ mod } 989$	428
2025	77	$2025 * 77 \text{ mod } 989$	652
270	77	$270 * 77 \text{ mod } 989$	21
1172	77	$1172 * 77 \text{ mod } 989$	245
270	77	$270 * 77 \text{ mod } 989$	21
1172	77	$1172 * 77 \text{ mod } 989$	245
2025	77	$2025 * 77 \text{ mod } 989$	652
1123	77	$1123 * 77 \text{ mod } 989$	428

Phase 4. Reduce Data with Value S

The data reduction process (K) with the values of the S. elements The reduction continues from the largest to the smallest element. The final result of the deduction must be a value of 0. The final result where the reduction is nonzero, the decryption process is declared to fail. The cause of failure can occur if the S key is not made by the linear siperincreasing method.  $S = \{2, 4, 7, 14, 28, 112, 224, 407\}$ ,  $K = \{245, 21, 428, 652, 21, 245, 21, 245, 652, 428\}$

Table 8. Data Reduction Process

2	4	7	14	28	112	224	407	S
							245-407	K
						245-224		
					21-112	=21		
				21-28				
			21-14					
		7-7	=7					
	0-4	=0						
0-2								
0	0	1	1	0	0	1	0	

The calculation process in the above table starts from right to left, the column that is marked false means that on the element S column the data can not be subtracted and will be false or 0. While the column that contains the data true, means the data can be subtracted and true or 1. If the result of the data is taken entirely it will generate value "00110010" which if returned to the decimal code to "50" and to char to "2". The next process, the values V1 to V10 will decomposition use each value on S. This decomposition is done by subtracting the largest value to the smallest and yielding the value  $V_i = 0$ .

$V_1 = 245 - 407 = 245 (0) | 245 - 224 = 21 (1) | 21 - 112 = 21 (0) | 21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then obtained result = 00110010

$V_2 = 21 - 407 = 21 (0) | 21 - 224 = 21 (0) | 21 - 112 = 21 (0) | 21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then obtained the result = 00110000

$V_3 = 428 - 407 = 21 (1) | 21 - 224 = 21 (0) | 21 - 112 = 21 (0) | 21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then the results obtained = 00110001

$V_4 = 652 - 407 = 245 (1) | 245 - 224 = 21 (1) | 21 - 112 = 21 (0) | 21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then obtained the result = 00110011

$V_5 = 21 - 407 = 21 (0) | 21 - 224 = 21 (0) | 21 - 112 = 21 (0) | 21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then obtained the result = 00110000

$V_6 = 245 - 407 = 245 (0) | 245 - 224 = 21 (1) | 21 - 112 = 21 (0) |$

$21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then obtained result = 00110010

$V_7 = 21 - 407 = 21 (0) | 21 - 224 = 21 (0) | 21 - 112 = 21 (0) | 21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then obtained the result = 00110000

$V_8 = 245 - 407 = 245 (0) | 245 - 224 = 21 (1) | 21 - 112 = 21 (0) | 21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then obtained result = 00110010

$V_9 = 652 - 407 = 245 (1) | 245 - 224 = 21 (1) | 21 - 112 = 21 (0) | 21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then obtained the result = 00110011

$V_{10} = 428 - 407 = 21 (1) | 21 - 224 = 21 (0) | 21 - 112 = 21 (0) | 21 - 28 = 21 (0) | 21 - 14 = 7 (1) | 7 - 7 = 0 (1) | 0 - 4 = 0 (0) | 0 - 2 = 0 (0)$

Then the results obtained = 00110001

$Z = \{00110010, 00110000, 00110001, 00110011, 00110000, 00110010, 00110000, 00110010, 00110011, 00110001\}$

Phase 5. Return to Original Data

Reverting to original data is the last step to convert to decryption process. The binary code is compiled and converted to decimal code then to char code.

$C = C \{1172, 270, 1123, 2025, 270, 1172, 270, 1172, 2025, 1123\}$   
 $Z = \{2013020231\}$

### III. CONCLUSION

The conclusion of this research is Simple Multi Attribute Rating Technique method can be used to determine the eligibility of the scholarship recipient and the result of the method is then re-secured using Merkle Hellman method to maintain data integrity.

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